

## Using States in Lex

- ◆ Some regular languages are more easily expressed as FSA
  - Set of all strings representing binary numbers divisible by 3
- ◆ Lex allows you to use FSA concepts using *start states*
  - `%x MOD1 MOD2`
  - `"1" {BEGIN MOD1}`
  - `"0" { }`
  - `<MOD1> "1" {BEGIN 0}`

## Other Special Directives

- ◆ ECHO causes Lex to echo current lexeme
- ◆ REJECT causes Lex to abandon current match and try an alternate one
- ◆ Example

```
a |
ab |
abc |
abcd      {ECHO; REJECT;}
.|\n     { /* eat up the character */ }
```

## Direct Construction of DFA from RE

- ◆ Define notion of derivative of an RE  $R$  wrt a symbol  $s$ 
  - $R'$  such that  $sR'$  matches the exact same set of strings as  $R$
- ◆  $\text{incl\_eps}(R) = \text{true}$ , if  $R$  matches empty string  
false, otherwise
- ◆ Note:
  - $\text{incl\_eps}(P|Q) = \text{incl\_eps}(P) \vee \text{incl\_eps}(Q)$
  - $\text{incl\_eps}(PQ) = \text{incl\_eps}(P) \wedge \text{incl\_eps}(Q)$

- ◆  $D(a, a) = \epsilon$
- ◆  $D(b, a) = \phi$
- ◆  $D(P^*, a) = D(P, a) P^*$
- ◆  $D(PQ, a) = D(P, a)Q \mid D(Q, a)$ , if  $\text{incl\_eps}(P)$   
=  $D(P, a)Q$  otherwise
- ◆  $D(P|Q, a) = D(P, a) \mid D(Q, a)$